

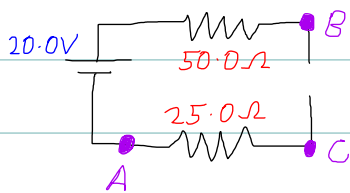
IN THE DEPICTED CIRCUIT, SWITCH S HAS BEEN OPEN FOR A LONG TIME. FIND THE CURRENT AT POINT A AND THE POTENTIAL DIFFERENCE BETWEEN POINTS B AND C:

(a) JUST AFTER SWITCH S IS CLOSED ($t=0$)

(b) AFTER SWITCH S HAS BEEN CLOSED FOR A LONG TIME ($t \rightarrow \infty$, OR "STEADY STATE")

(c) AFTER SWITCH S HAS BEEN CLOSED FOR 0.115 ms

(a) EQUIVALENT CIRCUIT IS:

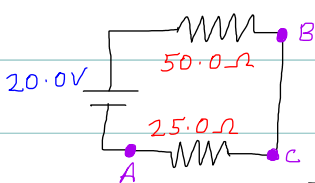


NO CURRENT FLOWS, SO $I_A = 0$

IF NO CURRENT FLOWS, $V = IR = 0$ AND THERE IS NO VOLTAGE DROP ACROSS ANY RESISTOR, SO $V_B = 20\text{V}$

$V_C = 0\text{V}$ AND $\Delta V_{BC} = 20\text{V}$

(b) EQUIVALENT CIRCUIT IS:

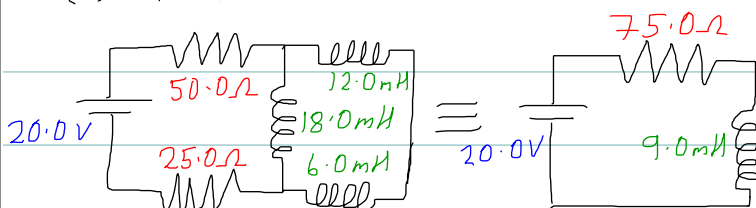


$R_{EQ} = R_1 + R_2 = 50\Omega + 25\Omega = 75\Omega$, $I_{EQ} = \frac{V_{EQ}}{R_{EQ}} = \frac{20\text{V}}{75\Omega} = 0.267\text{A}$

IN A SERIES CIRCUIT, $I_A = I_{EQ} \Rightarrow I_A = 0.267\text{A}$

THERE IS NO COMPONENT BETWEEN B AND C, SO NO VOLTAGE DROP $\Rightarrow \Delta V_{BC} = 0$

(c) EQUIVALENT CIRCUIT IS:



WHERE THE RESISTORS SUM AS IN (b) AND THE INDUCTORS ARE COMBINED USING THE SERIES AND PARALLEL RULES AS FOR RESISTORS

$$L_{12,6} = L_{12} + L_6 = 12.0 \text{ mH} + 6.0 \text{ mH} = 18.0 \text{ mH}$$

$$\frac{1}{L_{EQ}} = \frac{1}{L_{12,6}} + \frac{1}{L_{18}} = \frac{1}{18} + \frac{1}{18} = \frac{1}{9} \Rightarrow L_{EQ} = 9.0 \text{ mH}$$

WE THUS HAVE AN RL CIRCUIT WITH $R = 75 \Omega$ AND $L = 9.0 \text{ mH}$

FOR AN RL CIRCUIT $i = \frac{\mathcal{E}}{R} (1 - e^{-t/\tau})$ WHILE CHARGING

$$\tau = \frac{L}{R} = \frac{9.0 \text{ mH}}{75.0 \Omega} = 0.12 \text{ ms} \text{ . AFTER } 0.115 \text{ ms} \dots$$

$$i_{EQ} = \frac{20.0 \text{ V}}{75.0 \Omega} (1 - e^{-\frac{0.115 \text{ ms}}{0.12 \text{ ms}}}) = 0.164 \text{ A}$$

IN SERIES, $i_A = i_{EQ} \Rightarrow \underline{\underline{i_A = 0.164 \text{ A}}}$

CONSIDER THE EQUIVALENT CIRCUIT... THE DROP ACROSS THE EQUIVALENT RESISTOR IS $V_R = i R_{EQ} = (0.164 \text{ A})(75.0 \Omega)$

THE VOLTAGE CHANGE AROUND THE EQUIVALENT CIRCUIT IS $(20 \text{ V}) - V_R - V_L = 0$

WHERE $V_L = V_{BC}$ IS THE DROP ACROSS THE INDUCTOR

$$\Rightarrow V_{BC} = V_L = (20 \text{ V}) - V_R = (20 \text{ V}) - ((0.164 \text{ A})(75.0 \Omega)) = \underline{\underline{7.67 \text{ V}}}$$